## Qualitative and Quantitative Characterization of a Jet and Vortex Actuator

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Figure 2. Angled jet at wide gap: f=70 Hz,  $g_r=3$ ,  $S_a=0.13$ , Re=56

Figure 5. Vortex flow: f=190 Hz,  $g_r=3$ ,  $S_a=0.13$ , Re=146



Figure 3. Jet at wide gap: *f*=70 Hz, *g*,=3, *S*<sub>a</sub>=0.19, *Re*=80

Figure 4. Horizontal flow: f=210 Hz,  $g_r=3$ , S =0.11 Re=1.34

















## **Optical Flow Concept**

**Brightness change constraint.** A common assumption on optical flow is that the <u>image brightness g(x, t)</u> at a point  $x = [x, y]^T$  at time *t* should only change because of motion. Thus, the total time derivative,

$$\frac{\mathrm{d}g}{\mathrm{d}t} = \frac{\partial g}{\partial x}\frac{\mathrm{d}x}{\mathrm{d}t} + \frac{\partial g}{\partial y}\frac{\mathrm{d}y}{\mathrm{d}t} + \frac{\partial g}{\partial t} \tag{10.1}$$

needs to equal zero. With the definitions  $f_1 = dx/dt$  and  $f_2 = dy/dt$ , this directly yields the well-known *motion constraint equation* or brightness change constraint equation, BCCE [6]:

$$(\nabla g)^T \boldsymbol{f} + g_t = 0 \tag{10.2}$$

where  $f = [f_1, f_2]^T$  is the optical flow,  $\nabla g$  defines the spatial gradient, and  $g_t$  denotes the partial time derivative  $\partial g / \partial t$ .

U. Rist et al.: JaVA Actuator

















